

```

1  clearvars;close all;clc;
2  tini = 0;
3  tend = 60;
4  tinc = 0.01;
5  t = tini:tinc:tend;           %simulation time
6  F0 = 0.5;                     %static force, in lb
7
8  m = 50;                        %mass of the translational system
9  k = 15.0;                      %spring constant, in lb/in
10 d = 7.5;                       %damping coefficient, in lb.sec/m
11
12 % initial conditions
13 y0 = 0;                         %initial displacement, y0
14 v0 = 0;                         % no initial speed
15
16 %numerator of the polynomial of the tf
17 num = [F0/m];
18
19 %denominator of the polynomial of the tf
20 den = [1 (d/m) (k/m)];
21
22 %transfer function model of this system is:
23 sys1 = tf(num,den)
24 subplot(2,1,1);
25 step(sys1, tend);
26 xlabel('time(sec)'); ylabel('output y(t)');
27 title('Response y(t) using the transfer function approach');
28 grid on;
29
30 % convert the transfer function model to the state-space representation
31 [A,B,C,D] = tf2ss(num,den);
32
33 %using the state-space equations
34 sys_ss = ss(A,B,C,D);
35
36 %figure(2);
37 subplot(2,1,2);
38 step(sys_ss, tend);
39 xlabel('time(sec)'); ylabel('output y(t)');
40 title('Response y(t) using the state-space representation');
41 grid on;

```

```
sys1 =
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      0.01
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s^2 + 0.15 s + 0.3

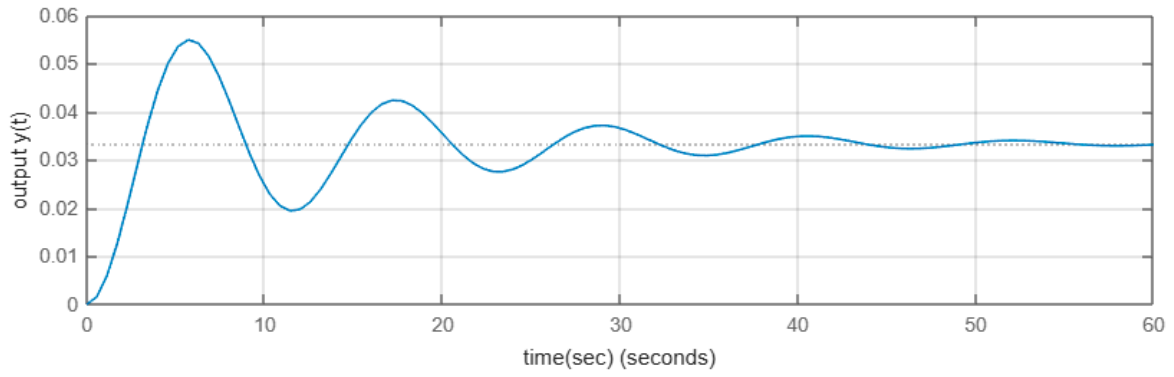
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Continuous-time transfer function.
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Model Properties
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>>
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Response $y(t)$ using the transfer function approach



Response $y(t)$ using the state-space representation

